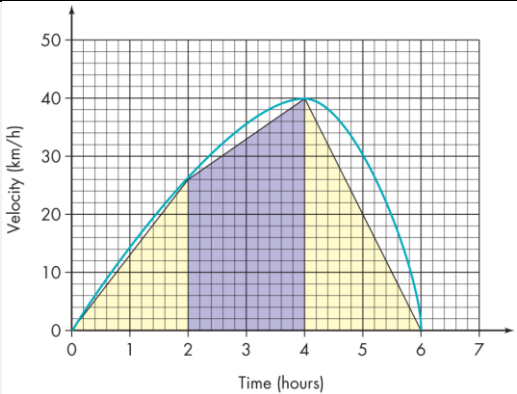
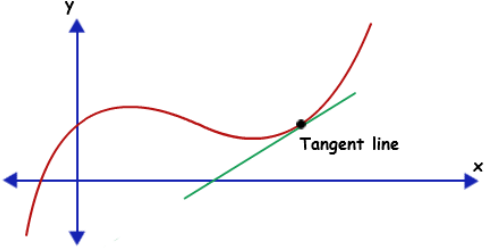
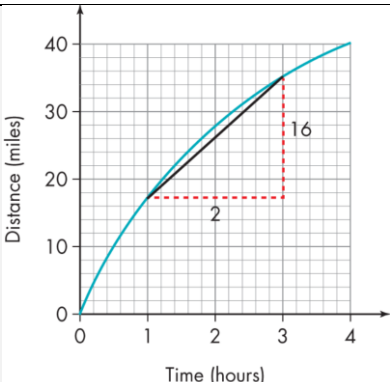
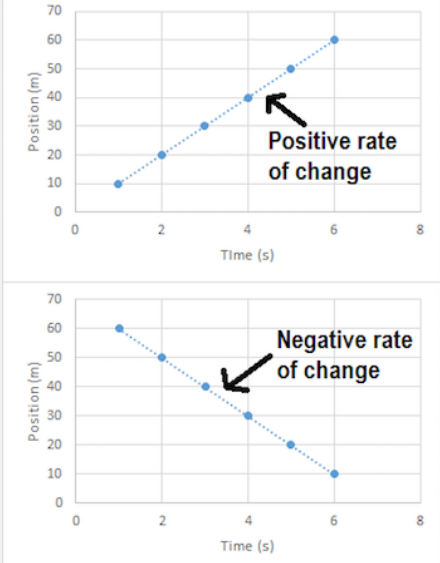
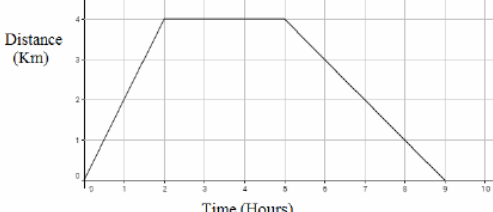
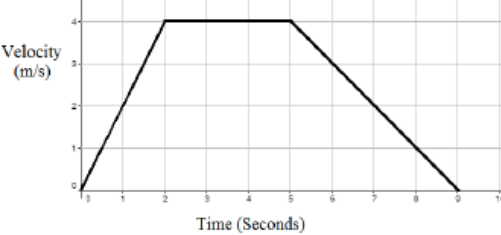


Core Knowledge

Topic/Skill	Definition/Tips	Example
1. Area Under a Curve	To find the area under a curve, <b>split it up into simpler shapes</b> – such as rectangles, triangles and trapeziums – that approximate the area.	
2. Tangent to a Curve	A straight <b>line</b> that <b>touches</b> a curve at <b>exactly one point</b> .	
3. Gradient of a Curve	<p>The <b>gradient of a curve</b> at a point is the same as the <b>gradient of the tangent</b> at that point.</p> <ol style="list-style-type: none"> <li>1. Draw a tangent carefully at the point.</li> <li>2. Make a right-angled triangle.</li> <li>3. Use the measurements on the axes to calculate the rise and run (change in y and change in x)</li> <li>4. Calculate the gradient.</li> </ol>	 $\text{Gradient} = \frac{\text{Change in } y}{\text{Change in } x}$ $= \frac{16}{2} = 8$

Core Knowledge

4. Rate of Change	The rate of change at a particular instant in time is represented by the <b>gradient of the tangent to the curve</b> at that point.	 <p>Position (m)</p> <p>Time (s)</p> <p>Positive rate of change</p> <p>Negative rate of change</p>
5. Distance-Time Graphs	You can find the <b>speed</b> from the <b>gradient</b> of the line (Distance $\div$ Time) The steeper the line, the quicker the speed. A <b>horizontal</b> line means the object is not moving ( <b>stationary</b> ).	 <p>Distance (Km)</p> <p>Time (Hours)</p>
6. Velocity-Time Graphs	You can find the <b>acceleration</b> from the <b>gradient</b> of the line (Change in Velocity $\div$ Time) The steeper the line, the quicker the acceleration. A <b>horizontal</b> line represents no acceleration, meaning a <b>constant velocity</b> .  The <b>area</b> under the graph is the <b>distance</b> .	 <p>Velocity (m/s)</p> <p>Time (Seconds)</p>

Links to real-life graphs, gradients, areas of shapes, estimation, interpreting information, plotting graphs to represent a real life scenario